IMPORTANT TERMS:

- Component
- Projectile
- Resolution
- Resultant
- Satellite
- Scalar quantity
- Vector
- Vector quantity


# UNIT I: MECHANICS Chapter 5: Projectile Motion 

I. Vector and Scalar Quantities (5-1)
A. Vector Quantity- describes both

1. Includes quantities like $\qquad$ (speed and direction), and $\qquad$
2. speed is $\qquad$ of velocity vector
B. Scalar Quantity- specified by $\qquad$ only
3. can be added, subtracted, multiplied, and divided like ordinary numbers
4. includes:
II. Velocity Vectors (5.2)
A. An $\qquad$ is used to represent the magnitude and direction of a vector quantity.
5. Length of arrow (drawn to scale) indicates-
6. Direction of arrow indicates direction of vector quantity
B. Parallel vectors- simple to add or subtract

C. Combining vectors that are NOT parallel

7. Result of adding two vectors called the
8. Resultant of two perpendicular vectors is the $\qquad$ of the rectangle with the two vectors as sides
9. Use simple three step technique to find resultant of a pair of vectors that are at $\qquad$ angles to each other.

## a. First-

b. Second-draw a $\qquad$ projection of each vector with dashed lines to form a rectangle
c. Third-draw the $\qquad$ from the
point where the two tails are $\qquad$


Step 1


Step 2


Step 3
4. Adding vectors not at right angles
a. Construct $\qquad$
b. Construct with two vectors as sides
c. Resultant is the $\qquad$

5. Adding vectors when parallelogram is a square (two vectors of equal length and at right angles to each other)
a. Construct a $\qquad$
b. The length of diagonal is $\qquad$ or
$\qquad$ times either of the sides
c. Resultant is $\qquad$ times either of the vectors


## III. Components of Vectors (5.3)

A. Technique to determine the vectors that made up a resultant vector (working backwards)

1. Any vector can be " $\qquad$ " into two
$\qquad$ vectors at $\qquad$ angles
to each other
a. These two vectors are called $\qquad$
b. Process of determining components is called
c. can resolve into $\qquad$ and
$\qquad$ components

IV. Projectile Motion (5.4)
A. projectile-any object that moves through the air or through space, acted on only by $\qquad$ (and air resistance, if any)
2. follow $\qquad$ path near Earth's surface
3. Can look at vertical and horizontal components separately.
a. Horizontal component for projectile same as ball rolling freely along a level surface (when friction is negligible). Has $\qquad$ horizontal velocity
1). Covers equal $\qquad$ in equal $\qquad$ interval
2). With no horizontal force acting on ball there is no horizontal acceleration (same for a projectile)
b. Vertical component of a projectile's velocity is like motion of free falling object.
1). Only force in vertical direction is
2). Vertical component changes with
c. horizontal and vertical components are completely $\qquad$ of each other.
1). Combine to produce variety of curved paths that projectiles follow.
4. Path of projectile accelerating in the vertical with constant horizontal velocity forms a
5. When air resistances small enough to neglect (slow moving or heavy projectiles) the curved path are parabolic
V. Projectiles Launched Horizontally (5.5)
A. Horizontal motion is $\qquad$
1.Horizontal component constant (moves same horizontal distance in equal $\qquad$ intervals)
6. No horizontal component of $\qquad$ acting on it
B. Gravity only acts $\qquad$
7. object $\qquad$ downward
8. Downward motion of horizontally launched projectile is the same as that for $\qquad$
VI. Projectiles Launched at an Angle (5.6)
A. Vertical distance $\qquad$ of horizontal distance
9. If no gravity projectile travels in $\qquad$ line
10. Gravity causes projectile to fall below this line the same distance it would have fallen if it were dropped from $\qquad$ ,

11. Distance below line calculated with equation
B. Height
12. Vertical distance a projectile falls below an imaginary straight line path $\qquad$ continually with $\qquad$
13. Equal to $\qquad$ meters

14. Path of projectile forms $\qquad$ (neglecting air resistance
15. Horizontal range changes with $\qquad$ of launch
a. $\qquad$ degrees gives maximum range
b. Some angles yield same range (i.e. $\qquad$ and
$\qquad$ degrees)

D. Speed- If we take into account air resistance, range is
$\qquad$ and path $\qquad$ true parabola.

